

### **Photo-based Augmented Reality**

#### **Registration And Navigation Methods**

Application to Discrepancy Check

Imperial College London 11/09/09 Pierre Georgel



#### **Agenda**

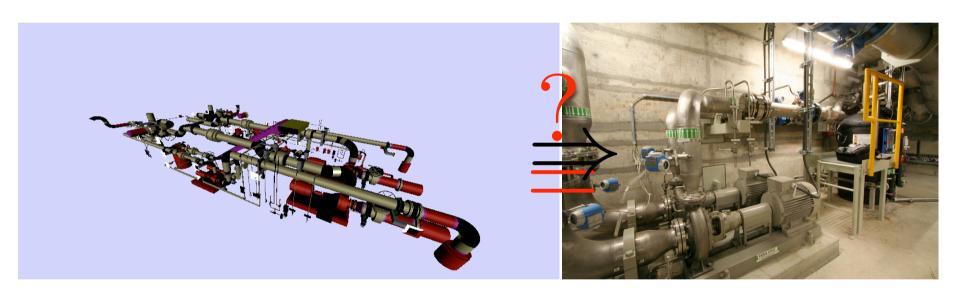
- Problem statement and application
- Software features

- Recovering the Full Pose from a Single Keyframe
- Outline of future work



#### **Application Overview**

Discrepancy check between CAD data and built items



3D Model used as Planning for Construction

Finished Construction

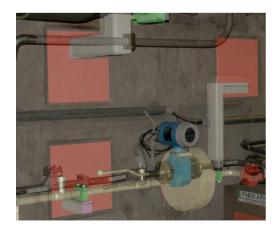


#### **Application Overview**

- Support engineer in charge of this verification task
- Project started in February 2006
- Consortium of CAMP Siemens CT Areva NP



"[...] senior project manager at Siemens, estimates that the software will reduce the cost of constructing a typical medium-sized coal-fired power plant by more than \$1m." The economist 2007

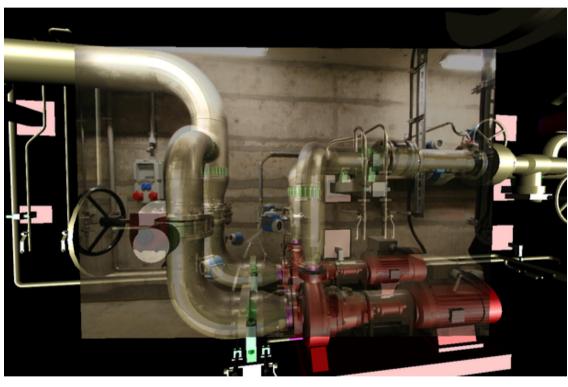








#### **Photo-based Augmented Reality**



Single frame augmentation

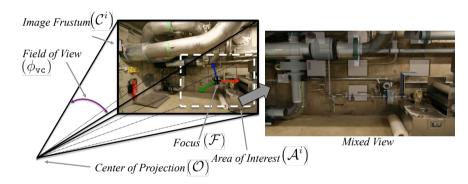
Requirements

- 1. Interaction
- 2. Registration



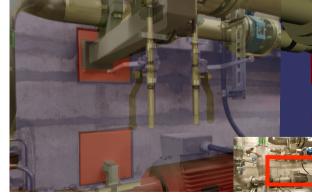
#### 3D User Interface for an Augmented CAD Software

- New paradigm requires new interactions
  - Extension of 2D zoom/pan interface to Mixed views





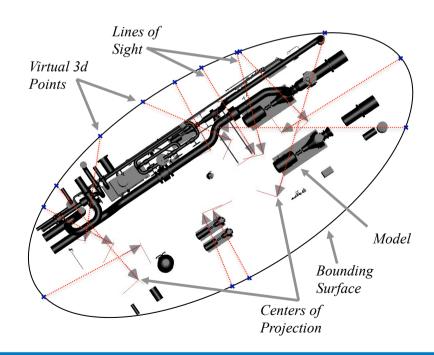


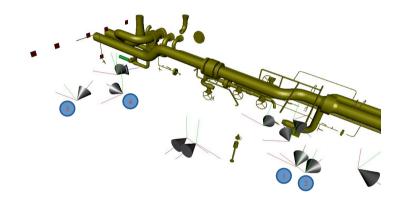




#### 3D User Interface for an Augmented CAD Software

- New paradigm requires new interactions
  - Intuitive 3D image navigation
    - No points track are required
    - No Model is considered









#### Landmark-based Registration

- Goal
  - Register images to the CAD coordinate system
- Approach
  - Extract landmarks (Anchor-Plates) from images
  - Find corresponding 3D landmarks
  - Compute the Pose (Rotation, Translation)





Need of 2d visible Landmarks

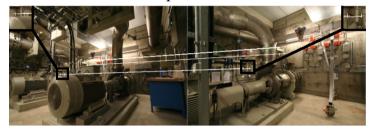


#### **Automatic 6 DoF Stereo Registration**

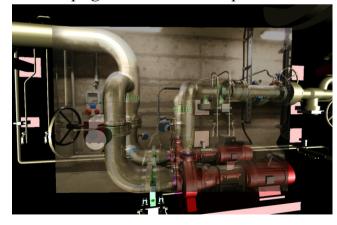
- Goal
  - Register images using a unique keyframe
- Approach
  - Compute epipolar geometry using keypoints
  - Extend the relative pose to a full pose using
    - Planar structure
    - 2d-3d correspondences
  - Non-linear estimation
    - Bundle adjustment with planarity constraint
    - Hybrid pose estimation that includes intensities



Extracted planar structure



Propagated 2d-3d correspondences





# Recovering the Full Pose from a Single Keyframe

WACV 12/2009

Pierre Fite Georgel, Selim Benhimane, Juergen Sotke and Nassir Navab



#### **Agenda**

- Registration
- Registration with single keyframe
  - Challenges
  - Initial scale estimates
  - Non-linear refinement
- Results
  - Synthetic experiments
  - Plant inspection images
- Closing statement



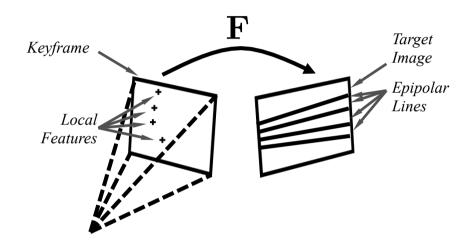
### Registration Find Geometric Transform between CAD and Image

- Marker based [1,2]
- External tracking system
  - Magnetic [3]
  - Optical [4]
  - GPS + Compass [5]
- Model based approach
  - Edges [6,7]
  - Keyframes (Multiple [8], Unique with model [9, 10])
- [1] Goose et al. Speech-enabled augmented reality supporting mobile industrial maintenance. Pervasive Computing 2003.
- [2] Pentenrieder et al. Augmented Reality-based factory planning an application tailored to industrial needs. ISMAR, 2007.
- [3] Webster et al. Architectural Anatomy. Presence, 1995.
- [4] Schoenfelder & Schmalstieg. Augmented Reality for Industrial Building Acceptance. IEEE VR, 2008.
- [5] Schall et al. Virtual redlining for civil engineering in real environments. ISMAR, 2008.
- [6] Lowe. Fitting parameterized three-dimensional models to images. IEEE Trans. PAMI, 1991.
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- [9] Vacchetti et al. Stable real-time 3d tracking using online and offline information. IEEE Trans. PAMI, 2004.
- [10] Platonov et al. A mobile markerless AR system for maintenance and repair. ISMAR, 2006.



- Compute fundamental matrix using keypoints  $\langle \mathbf{p}_i,\,\mathbf{q}_i 
angle$ 

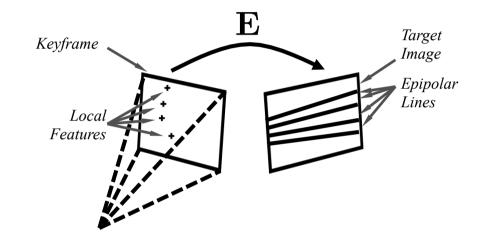
$$\mathbf{q}_i^{\mathsf{T}} \mathbf{F} \mathbf{p}_i = 0$$





- Compute fundamental matrix using keypoints  $\langle \mathbf{p}_i, \mathbf{q}_i \rangle$   $\mathbf{q}_i^{\top} \mathbf{F} \mathbf{p}_i = 0$
- Derivation of essential for calibrated cameras [11]

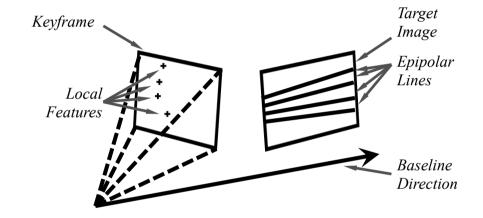
$$\mathbf{E} = \mathbf{K}_{\mathcal{T}}^{ op} \mathbf{F} \mathbf{K}_{\mathcal{S}}$$





- Compute fundamental matrix using keypoints  $\langle \mathbf{p}_i,\,\mathbf{q}_i \rangle$
- Derivation of essential for calibrated cameras [11]
- Essential matrix decomposition

$$\mathbf{E}=\left[\mathbf{t}
ight]_{ imes}\mathbf{R}$$

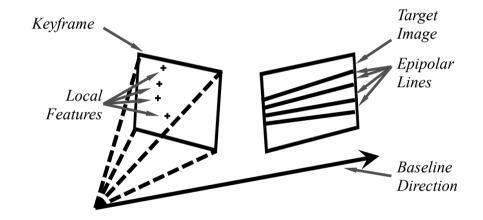




- Compute fundamental matrix using keypoints  $\langle \mathbf{p}_i, \, \mathbf{q}_i \rangle$
- Derivation of essential for calibrated cameras [11]
- Essential matrix decomposition

$$\mathbf{E} = oldsymbol{[t]}_{\! imes}\,\mathbf{R}$$

Unknown translation norm



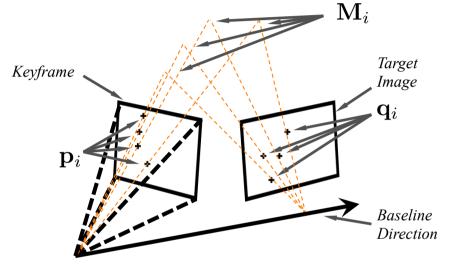


- Compute fundamental matrix using keypoints  $\langle \mathbf{p}_i, \, \mathbf{q}_i \rangle$
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$$\mathbf{E}=\left[\mathbf{t}
ight]_{ imes}\mathbf{R}$$

Bundle adjustment cost

$$\mathcal{C}_{\mathcal{G}}\left(\mathbf{M}_{i},\mathbf{R},\mathbf{t}
ight) = \sum_{i=1}^{n} + rac{\left\|\mathbf{K}_{s}\mathbf{w}\left(\mathbf{M}_{i}
ight) - \mathbf{p}_{i}
ight\|^{2}}{\left\|\mathbf{K}_{t}\mathbf{w}\left(\mathbf{R}\mathbf{M}_{i} + \mathbf{t}
ight) - \mathbf{q}_{i}
ight\|^{2}}$$

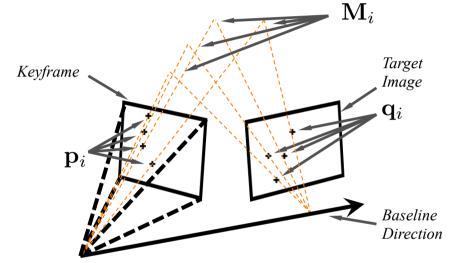




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Bundle adjustment cost



$$\mathcal{C}_{\mathcal{G}}\left(\mathbf{M}_{i}, \mathbf{R}, \mathbf{t}\right) = \sum_{i=1}^{n} + \frac{\left\|\mathbf{K}_{s} \mathbf{w}\left(\mathbf{M}_{i}\right) - \mathbf{p}_{i}\right\|^{2}}{\left\|\mathbf{K}_{t} \mathbf{w}\left(\mathbf{R} \mathbf{M}_{i} + \mathbf{t}\right) - \mathbf{q}_{i}\right\|^{2}}$$

$$\forall s \neq 0, \quad \mathcal{C}_{\mathcal{G}}(s\mathbf{M}_i, \mathbf{R}, s\mathbf{t}) = \mathcal{C}_{\mathcal{G}}(\mathbf{M}_i, \mathbf{R}, \mathbf{t})$$

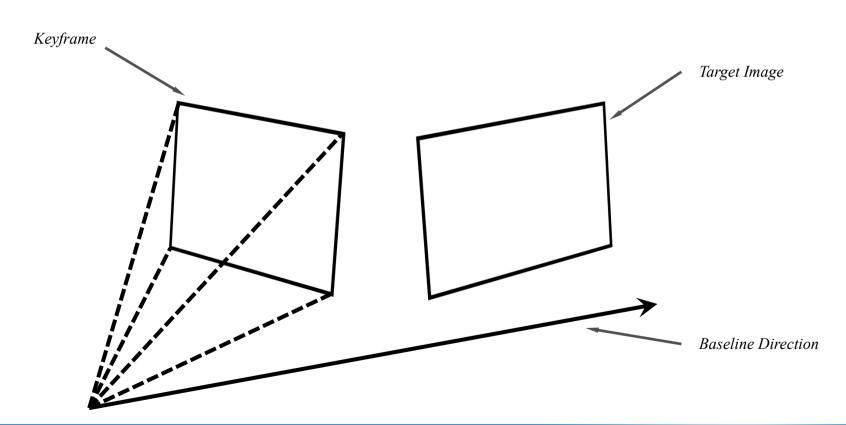


**Full Pose from Single Keyframe** Challenge  $\mathbf{M}_i$ Keyframe Target Image Baseline Direction



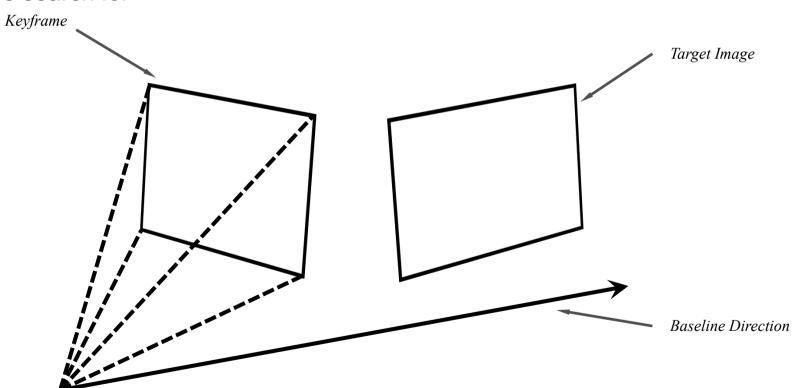


• We suppose that we know  ${f R}$  and  ${f t}$   $(\|{f t}\|=1)$ 





- We suppose that we know  ${f R}$  and  ${f t}$  ( $\|{f t}\|=1$ )
- We search for S







Using a known 3D distance D $d_1 = \|\mathbf{AB}\|$ Keyframe Target Image Baseline Direction

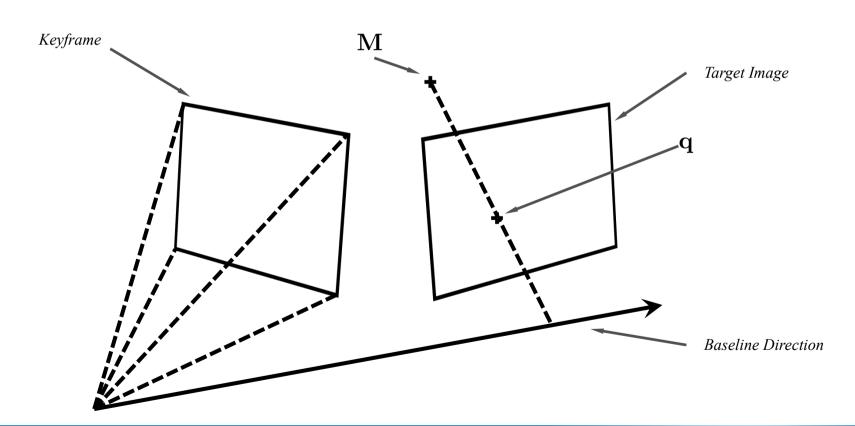




Using a known 3D distance D $d_1 = \|\mathbf{AB}\|$ Target Image Baseline Direction



• Using the location of a known 3D point in the target image  $\langle \mathbf{M}, \mathbf{q} \rangle$ 

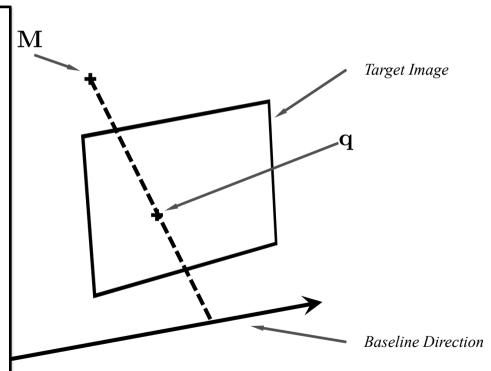






• Using the location of a known 3D point in the target image  $\langle \mathbf{M}, \mathbf{q} \rangle$ 

$$s = -\frac{\left(\left[\mathbf{K}_{t}^{-1}\mathbf{q}\right]_{\times}\mathbf{t}\right)^{\top}\left[\mathbf{K}_{t}^{-1}\mathbf{q}\right]_{\times}\mathbf{RM}}{\left\|\left[\mathbf{K}_{t}^{-1}\mathbf{q}\right]_{\times}\mathbf{t}\right\|^{2}}$$





Using a known 3D distance D

$$s = \frac{D}{d_1}$$

• Using the location of a known 3D point in the target image  $\langle \mathbf{M}, \mathbf{q} \rangle$ 

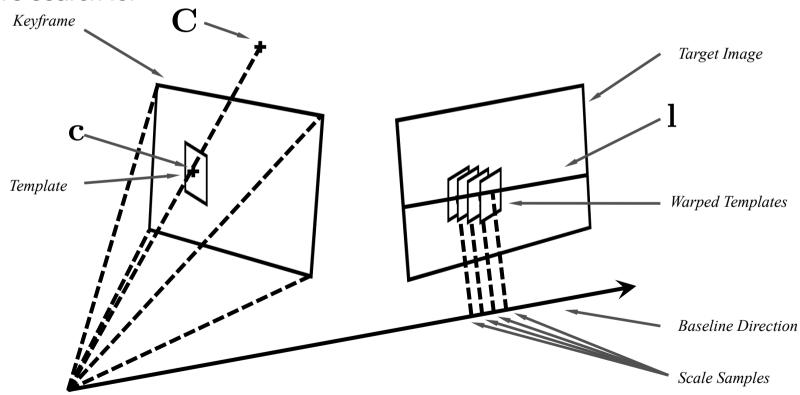
$$s = -\frac{\left(\left[\mathbf{K}_{t}^{-1}\mathbf{q}\right]_{\times}\mathbf{t}\right)^{\top}\left[\mathbf{K}_{t}^{-1}\mathbf{q}\right]_{\times}\mathbf{RM}}{\left\|\left[\mathbf{K}_{t}^{-1}\mathbf{q}\right]_{\times}\mathbf{t}\right\|^{2}}$$

#### **Both methods requires interactions**



### Full Pose from Single Keyframe *Method Overview*

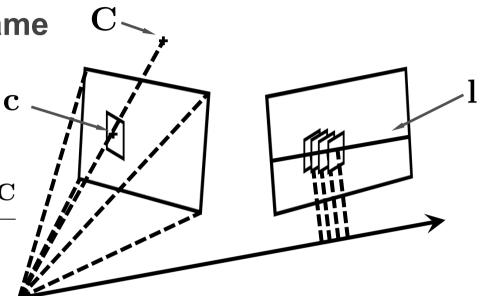
- We suppose that we know  ${f R}$  and  ${f t}$   $(\|{f t}\|=1)$
- We search for S





Every point on a line gives a scale sample

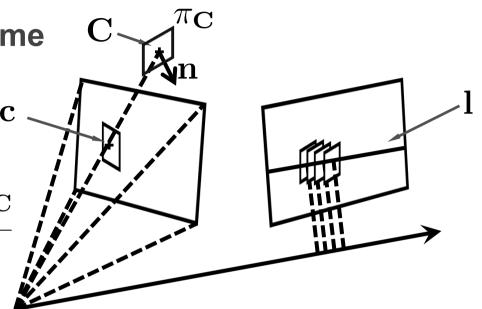
$$\forall \mathbf{c}' \in \mathbf{l}, \ s = -\frac{\left(\left[\mathbf{K}_t^{-1} \mathbf{c}'\right]_{\times} \mathbf{t}\right)^{\top} \left[\mathbf{K}_t^{-1} \mathbf{c}'\right]_{\times} \mathbf{RC}}{\left\|\left[\mathbf{K}_t^{-1} \mathbf{c}'\right]_{\times} \mathbf{t}\right\|^2}$$





Every point on a line gives a scale sample

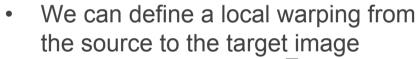
$$\forall \mathbf{c}' \in \mathbf{l}, s = -\frac{\left(\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{t}\right)^{\top}\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{RC}}{\left\|\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{t}\right\|^{2}}$$



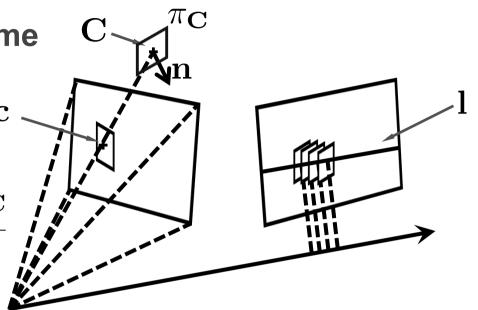


Every point on a line gives a scale sample

$$\forall \mathbf{c}' \in \mathbf{l}, s = -\frac{\left(\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{t}\right)^{\top}\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{RC}}{\left\|\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{t}\right\|^{2}}$$



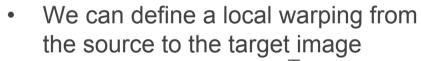
$$\mathbf{H}\left(s, \pi_{\mathbf{C}}\right) = \mathbf{R} - s \frac{\mathbf{t}\mathbf{n}^{\top}}{d}$$





Every point on a line gives a scale sample

$$\forall \mathbf{c}' \in \mathbf{l}, \ s = -\frac{\left(\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{t}\right)^{\top}\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{RC}}{\left\|\left[\mathbf{K}_{t}^{-1}\mathbf{c}'\right]_{\times}\mathbf{t}\right\|^{2}}$$



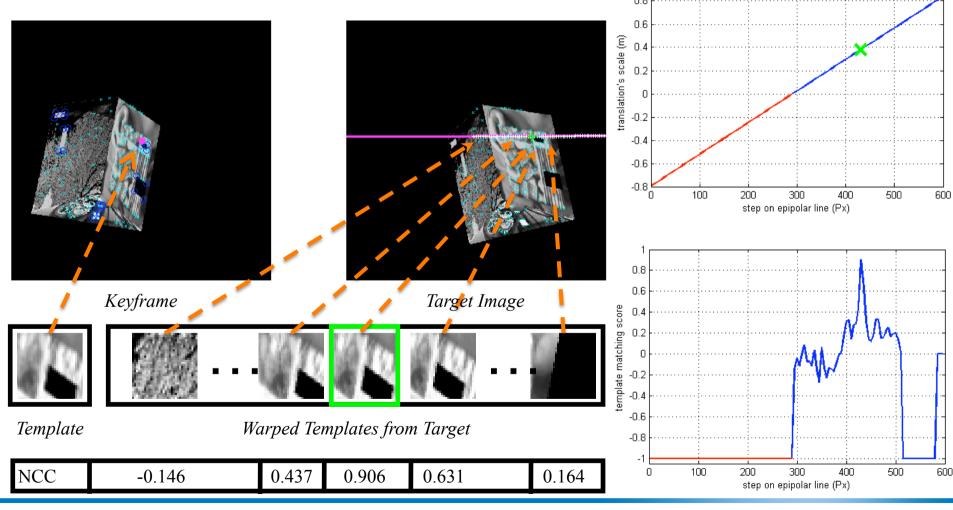
$$\mathbf{H}\left(s, \pi_{\mathbf{C}}\right) = \mathbf{R} - s \frac{\mathbf{t}\mathbf{n}^{\top}}{d}$$

Template search

$$f(s) = \mathrm{SM}\left(\mathcal{S}, \mathbf{H}^{-1}\left(s, \pi_{\mathbf{C}}\right)(\mathcal{T})\right)$$



#### Full Pose from Single Keyframe Initial Estimates - Overview





#### **Full Pose from Single Keyframe** Nonlinear Refinement

Sub-optimal solution

$$\sum_{i} SM \left( \mathcal{S}, \mathbf{H}^{-} 1 \left( s, \pi_{c_{i}} \right) \left( \mathcal{T} \right) \right)$$





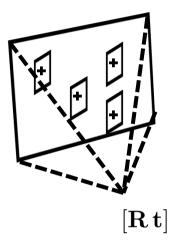
**Full Pose from Single Keyframe** Nonlinear Refinement

Sub-optimal solution

$$\sum_{i} \mathrm{SM}\left(\mathcal{S}, \mathbf{H}^{-} 1\left(s, \pi_{c_{i}}\right) \left(\mathcal{T}\right)\right)$$

We introduce a quadratic cost  $\mathbf{t} \leftarrow s\mathbf{t}$ 

$$\mathcal{C}_{\mathcal{P}}\left(\mathbf{R},\mathbf{t}
ight) = \sum_{j=1}^{m} \sum_{\mathbf{X}}^{\mathcal{N}_{\mathbf{C}_{j}}} \left\|\mathcal{S}\left(\mathbf{K}_{s}\mathbf{w}\left(\mathbf{X}
ight)
ight) - \mathcal{T}\left(\mathbf{K}_{t}\mathbf{w}\left(\mathbf{R}\mathbf{X} + \mathbf{t}
ight)
ight)
ight\|^{2}$$







Full Pose from Single Keyframe Nonlinear Refinement

Sub-optimal solution

$$\sum_{i} SM \left( \mathcal{S}, \mathbf{H}^{-} 1 \left( s, \pi_{c_{i}} \right) \left( \mathcal{T} \right) \right)$$

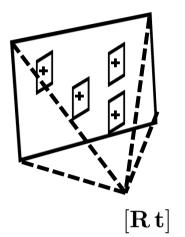
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ight)
ight) - \mathcal{T}\left(\mathbf{K}_{t}\mathbf{w}\left(\mathbf{R}\mathbf{X} + \mathbf{t}
ight)
ight)
ight\|^{2}$$



$$\arg\min_{\mathbf{M}_{i},\mathbf{R},\mathbf{t}} \mathcal{C}_{\mathcal{G}}\left(\mathbf{M}_{i},\mathbf{R},\mathbf{t}\right) + \mathcal{C}_{\mathcal{P}}\left(\mathbf{R},\mathbf{t}\right)$$

with 
$$\mathcal{C}_{\mathcal{G}}\left(\mathbf{M}_{i}, \mathbf{R}, \mathbf{t}\right) = \sum_{i=1}^{n} + \frac{\left\|\mathbf{K}_{s} \mathbf{w}\left(\mathbf{M}_{i}\right) - \mathbf{p}_{i}\right\|^{2}}{\left\|\mathbf{K}_{t} \mathbf{w}\left(\mathbf{R} \mathbf{M}_{i} + \mathbf{t}\right) - \mathbf{q}_{i}\right\|^{2}}$$

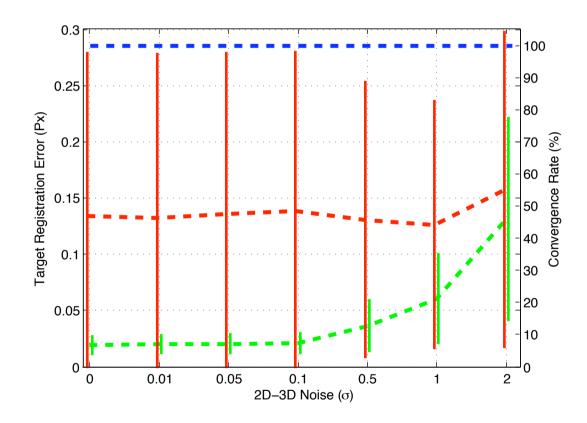




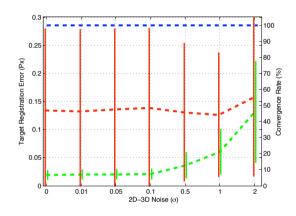
### Full Pose from Single Keyframe Algorithm Overview

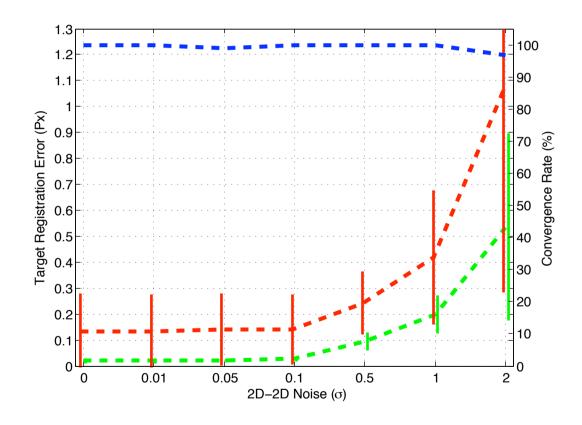
- 1. Estimate E
- 2. Decompose E in R and t
- 3. for each 2D-3D correspondences
  - Find scale s
- 4. end
- 5. Select the scale s with best consensus
- 6. Nonlinear estimation





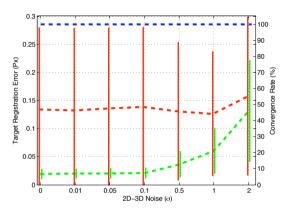


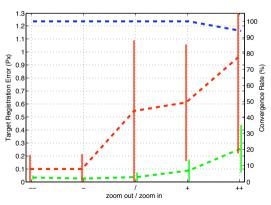


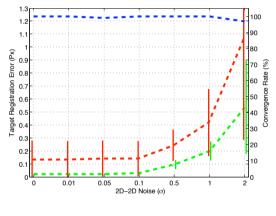


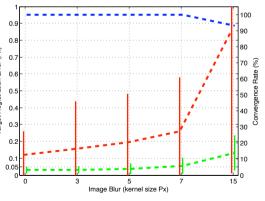


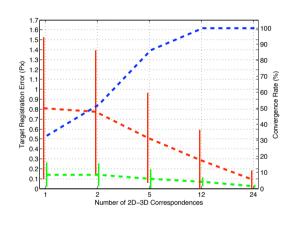


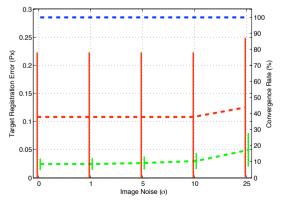






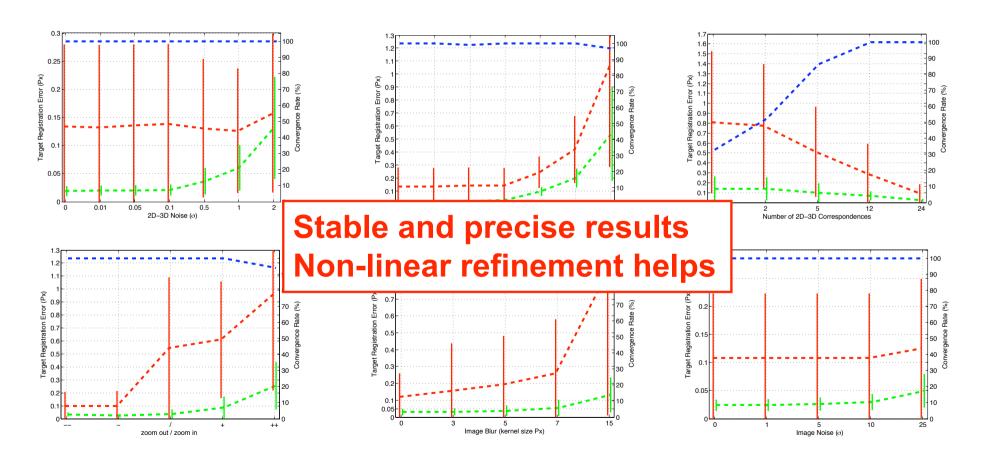
















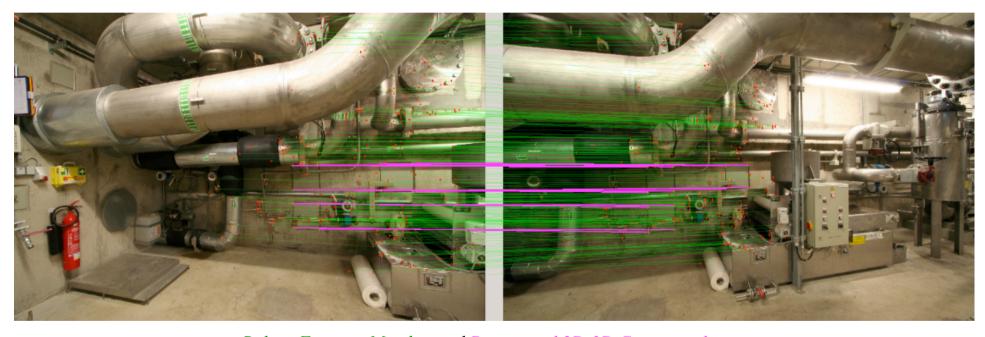
### Discrepancy Check using Augmented Reality Keyframe Computation

- Landmark-based registration
  - Register images to the CAD coordinate system
- Approach
  - Extract landmarks (Anchor-Plates) from images
  - Find corresponding 3D landmarks
  - Compute the pose (Rotation, Translation)



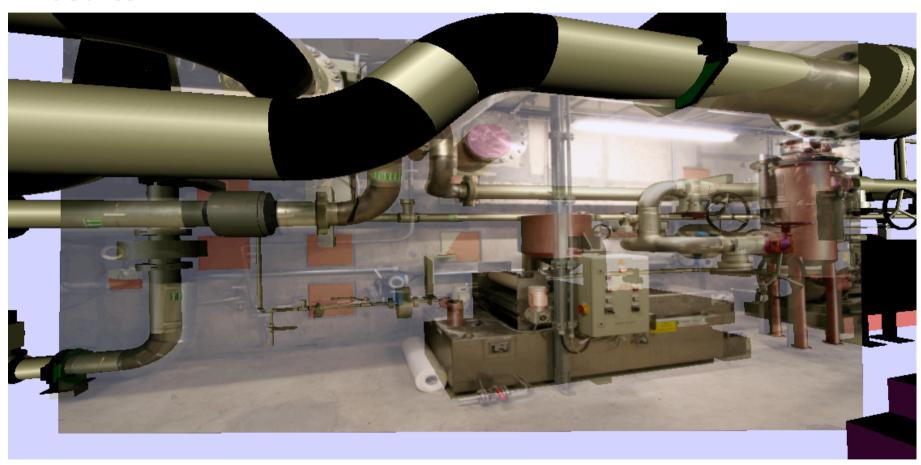
- Information stored
  - Image
  - Full pose
  - 3D points: location and normal.





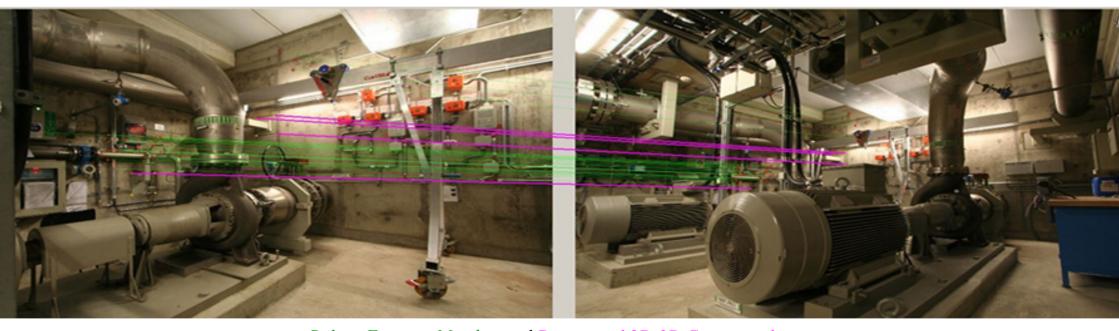
Robust Features Matches and Propagated 2D-3D Correspondences





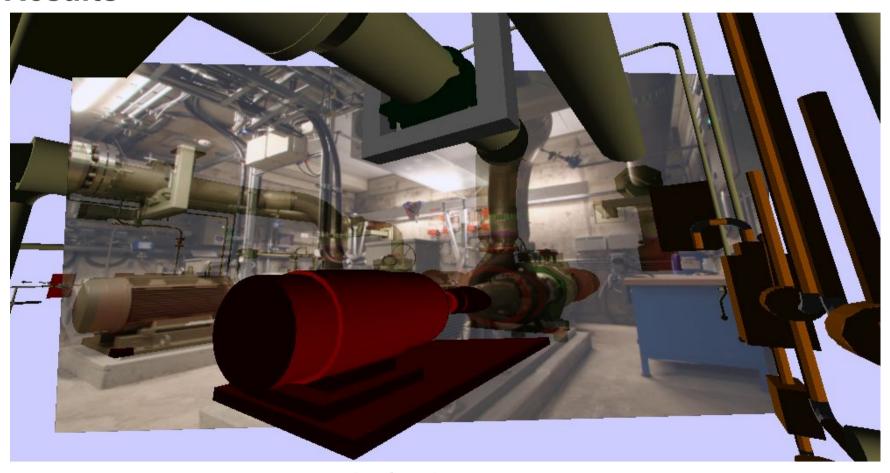
Resulting Augmentation





Robust Features Matches and Propagated 2D-3D Correspondences





Resulting Augmentation



#### I did not do this work alone







Selim Benhimane



Juergen Sotke



Stefan Hinterstoiser



Stefan Holzer

#### But also

Adrien Bartoli (universite d'Auvergne)

Bernard Ziesl

Mirko Appel (siemens CT)

Sumit Paranjape, Xinxing Feng, Xavier Fernandez, Hagen Kaiser



### **Conclusion and Perspectives**

#### **About this method**

- ✓ Automatic full pose estimation
  - Perspectively corrected template matching
  - ✓ New non-linear cost function
- ✓ Solution is used on site for inspection

#### **About the application**

- ✓ Landmark based registration
- ✓ Automatic 6 DoF stereo registration
- ✓ Bundle Adjustment with fix 3D points
- √ 3D Measurements
- ✓ Inspection / Documentation

#### **Future Work**

- Extension to more than two images
- Non calibrated case
- Estimation of the normals

- Mobile AR using keyframes
- Guided 3D reconstruction
- > 3D Annotations



### Thank for the attention

(Any) Questions?



### **Bibliography**

- [1] Goose *et al.* Speech-enabled augmented reality supporting mobile industrial maintenance. Pervasive Computing 2003.
- [2] Pentenrieder *et al.* Augmented Reality-based factory planning an application tailored to industrial needs. ISMAR, 2007.
- [3] Webster et al. Architectural Anatomy. Presence, 1995.
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- [8] Chia et al. Online 6 dof augmented reality registration from natural features. ISMAR, 2002.
- [9] Vacchetti et al. Stable real-time 3d tracking using online and offline information. IEEE Trans. PAMI, 2004.
- [10] Platonov et al. A mobile markerless AR system for maintenance and repair. ISMAR, 2006.
- [11] Hung and Faugeras. Some properties of the E matrix in two-view motion estimation. IEEE Trans. PAMI, 1989.
- [12] Georgel *et al.* A Unified Approach Combining Photometric and Geometric Information for Pose Estimation. BMVC, 2008.
- [13] Georgel et al. An Industrial Augmented Reality Solution For Discrepancy Check. ISMAR, 2007.